

Firm Behavior

Cost of Production

Ownership and management of firms

A firm

The firm's goal is assumed to be

Explicit costs

Implicit costs

Total cost (total economic cost)

Explicit vs. Implicit Costs: An Example

You need \$100,000 to start your business.
The interest rate is 5%.

Case 1: borrow \$100,000

explicit cost =

Case 2: use \$40,000 of your savings,
borrow the other \$60,000

explicit cost =

implicit cost =

Economic Profit vs. Accounting Profit

Accounting profit

Economic profit

ACTIVE LEARNING 2

Economic profit vs. accounting profit

The equilibrium rent on office space has just increased by \$500/month.

Compare the effects on accounting profit and economic profit if

- a. you rent your office space
- b. you own your office space

Short run

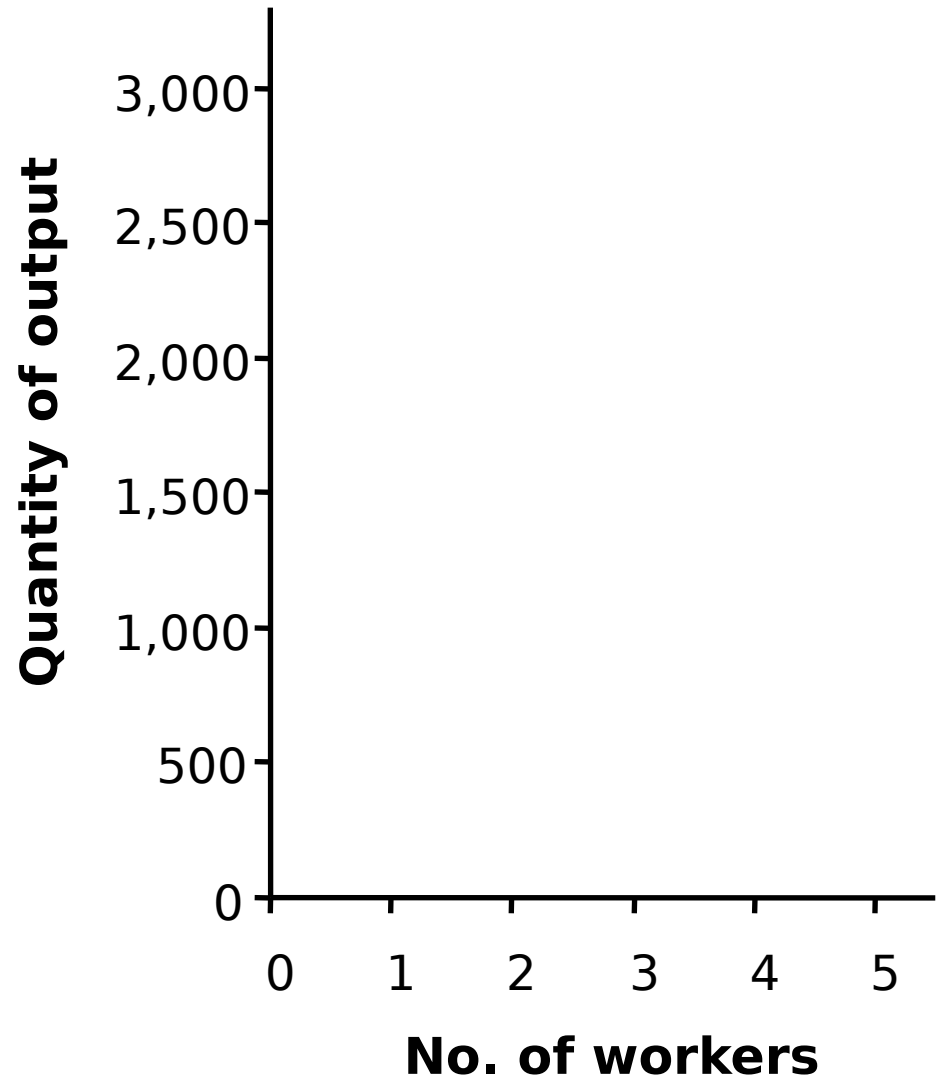
Long run

The Production Function

A production function

Example 1: Farmer Jack's Production Function

<i>L</i> (no. of workers)	<i>Q</i> (bushels of wheat)
0	0
1	1000
2	1800
3	2400
4	2800
5	3000



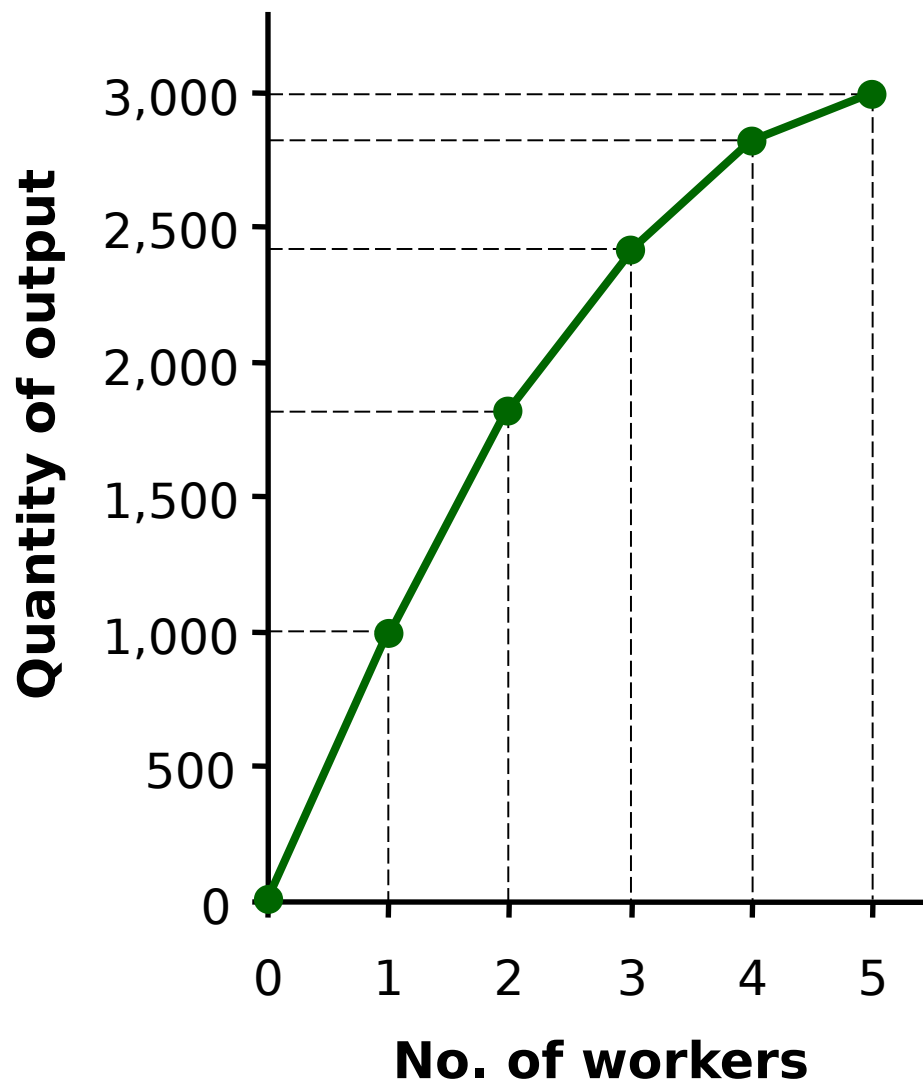
Marginal and Average Product

The marginal product

Average product

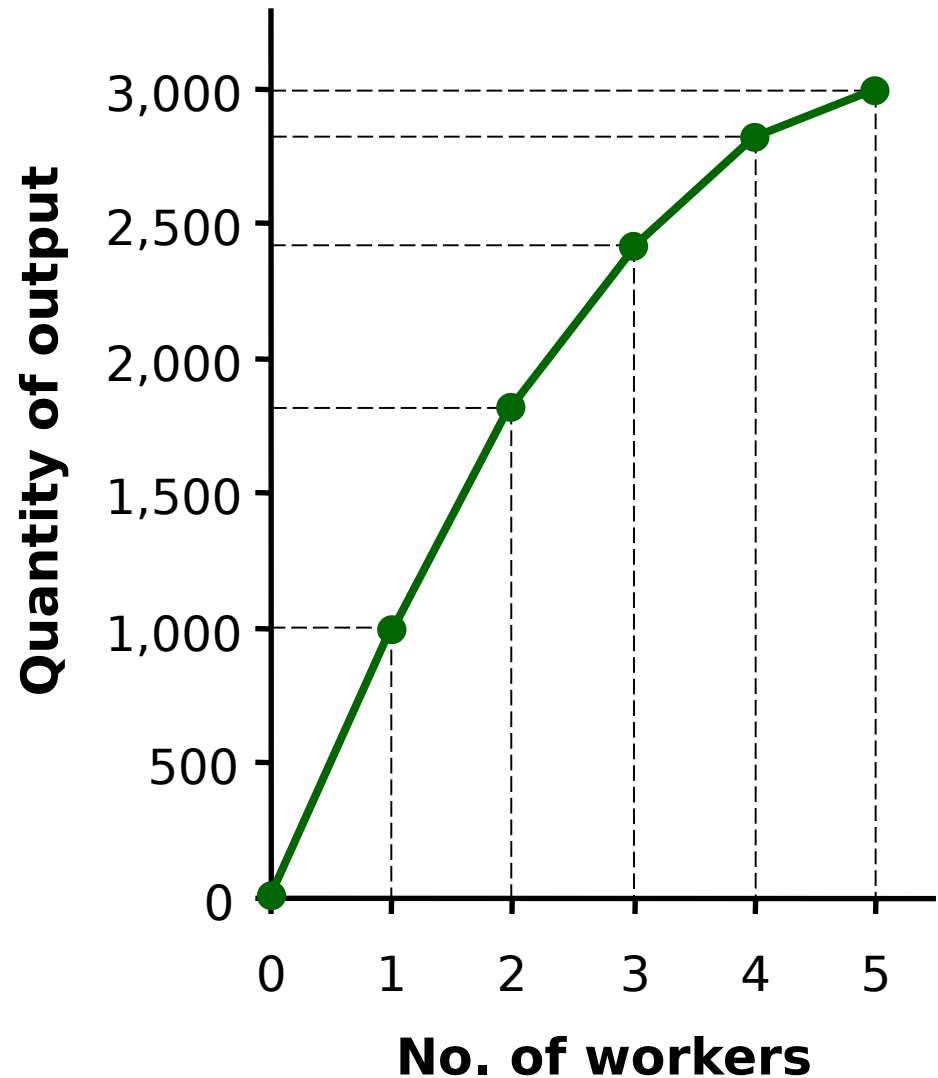
EXAMPLE 1: Total & Marginal Product

L (no. of workers)	Q (bushels of wheat)	MPL
0	0	
1	1000	
2	1800	
3	2400	
4	2800	
5	3000	



EXAMPLE 1: Total & Average Product

L (no. of workers)	Q (bushels of wheat)	APL
0	0	
1	1000	
2	1800	
3	2400	
4	2800	
5	3000	

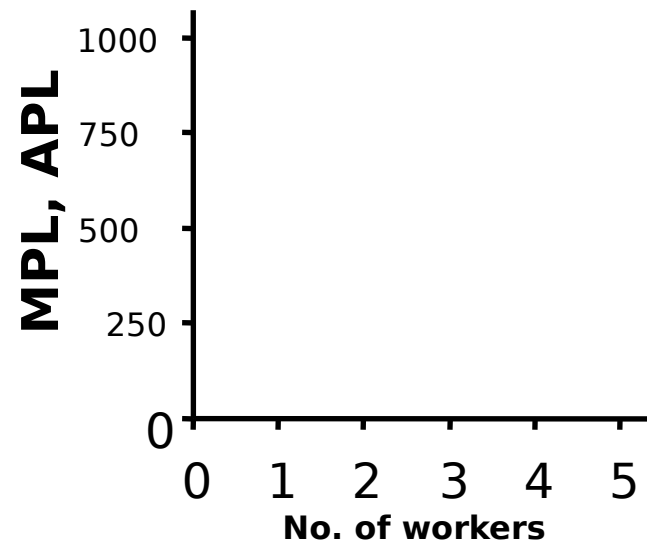
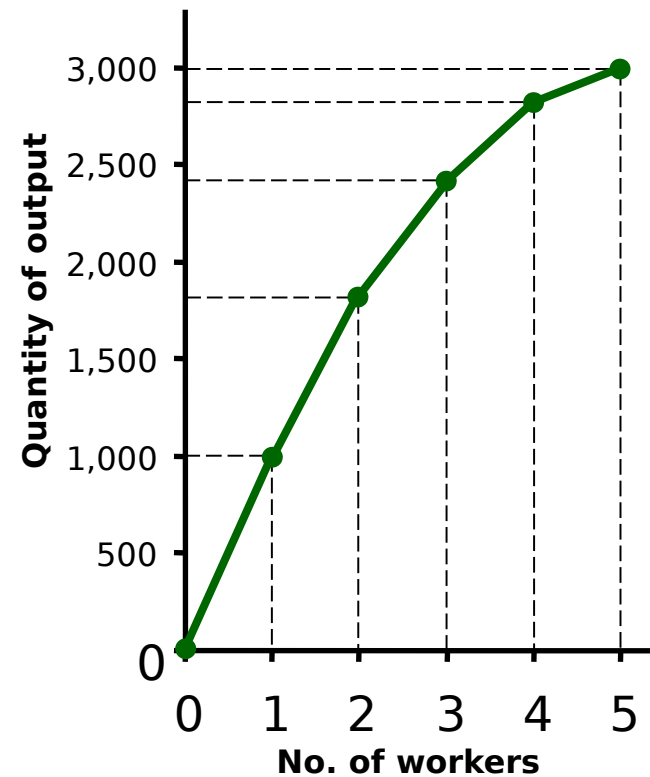


When $MPL > APL$,

When $MPL = APL$,

When $MPL < APL$,

L	Q	MPL	APL
0	0	-	-
1	100	100	100
2	180	800	900
3	240	600	800
4	280	400	700



Why MPL Diminishes

Farmer Jack's output rises by a smaller and smaller amount for each additional worker. Why?

Diminishing marginal product:

Long-run production: Two variable inputs

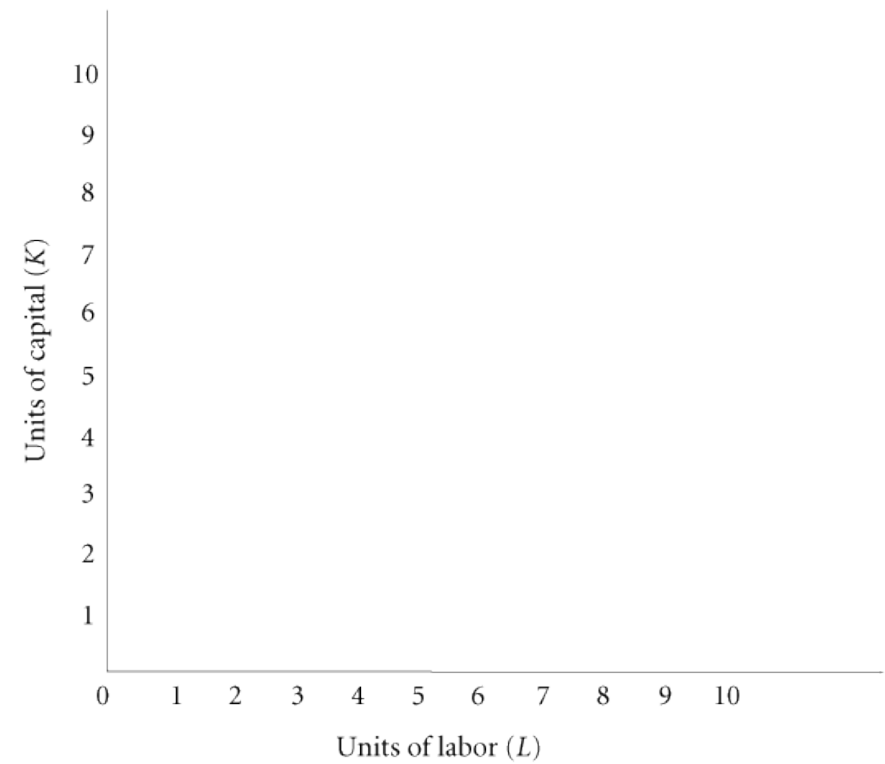
In the long run, both capital and labor are variable. A firm can usually produce a given level of output by varying the amounts of each that they use.

Inputs Required to Produce 100 Diapers Using Alternative Technologies

TECHNOLOGY	UNITS OF CAPITAL (K)	UNITS OF LABOR (L)
A	2	10
B	3	6
C	4	4
D	6	3
E	10	2

(1) TECHNOLOG Y	(2) UNITS OF CAPITAL (<i>K</i>)	(3) UNITS OF LABOR (<i>L</i>)	(4) COST $P_L = \$1$ $P_K = \$1$	(5) $P_L = \$5$ $P_K = \$1$
<i>A</i>	2	10		
<i>B</i>	3	6		
<i>C</i>	4	4		
<i>D</i>	6	3		
<i>E</i>	10	2		

Isoquant

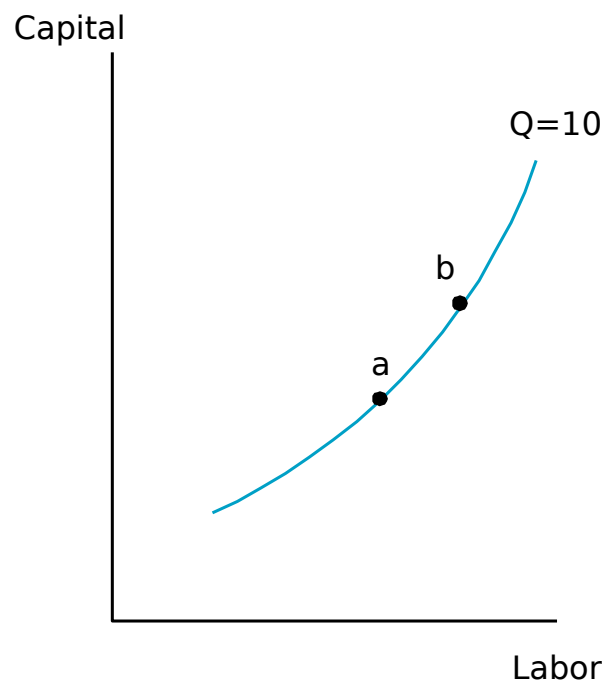


**Alternative Combinations of Capital (K) and Labor (L)
Required to Produce 50, 100, and 150 Units of
Output**

	$Q_x = 50$		$Q_x = 100$		$Q_x = 150$	
	K	L	K	L	K	L
A	1	8	2	10	3	10
B	2	5	3	6	4	7
C	3	3	4	4	5	5
D	5	2	6	3	7	4
E	8	1	10	2	10	3

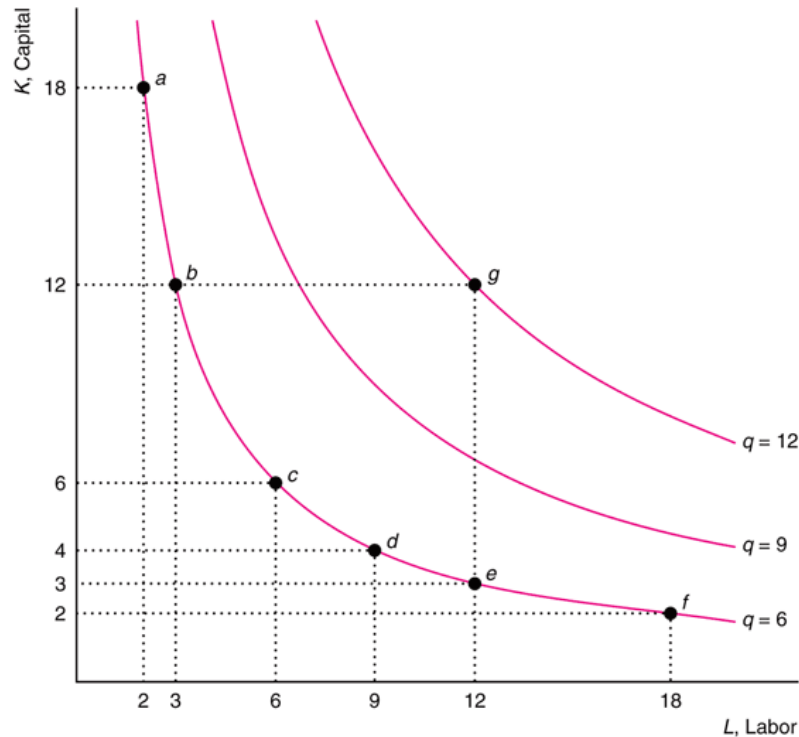
Properties of Isoquants

Isoquants slope downwards



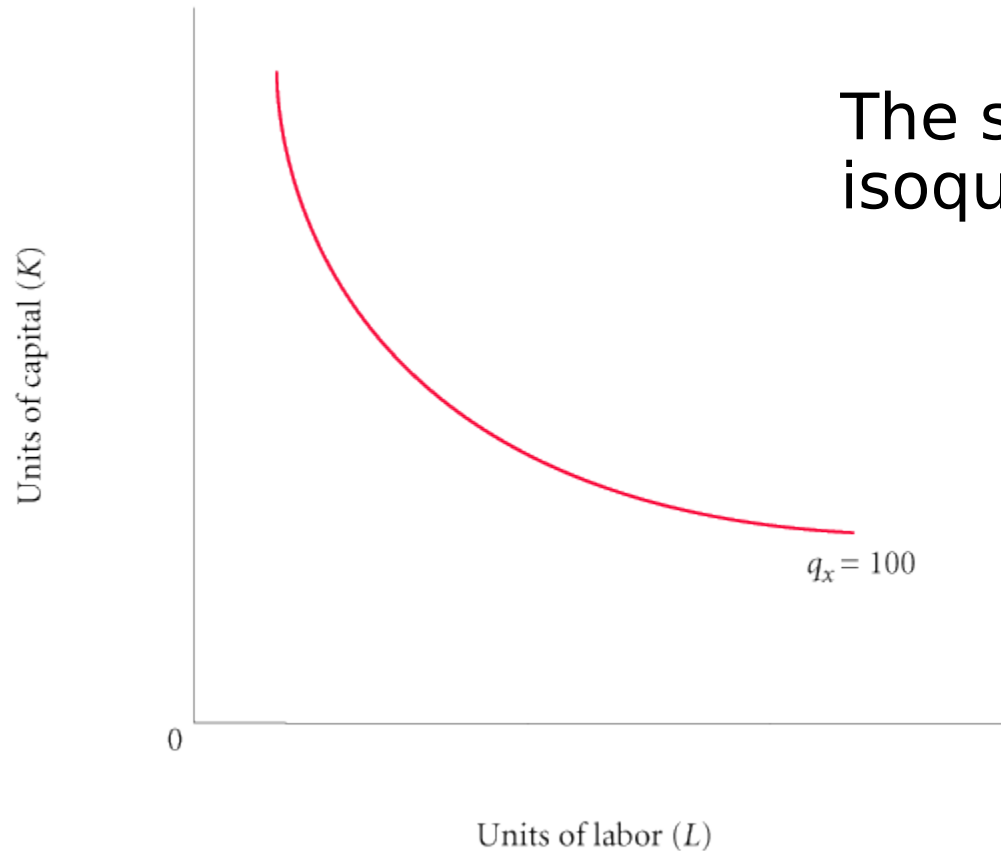
Properties of Isoquants

The farther an isoquant is from the origin, the greater the level of output.



Isoquants

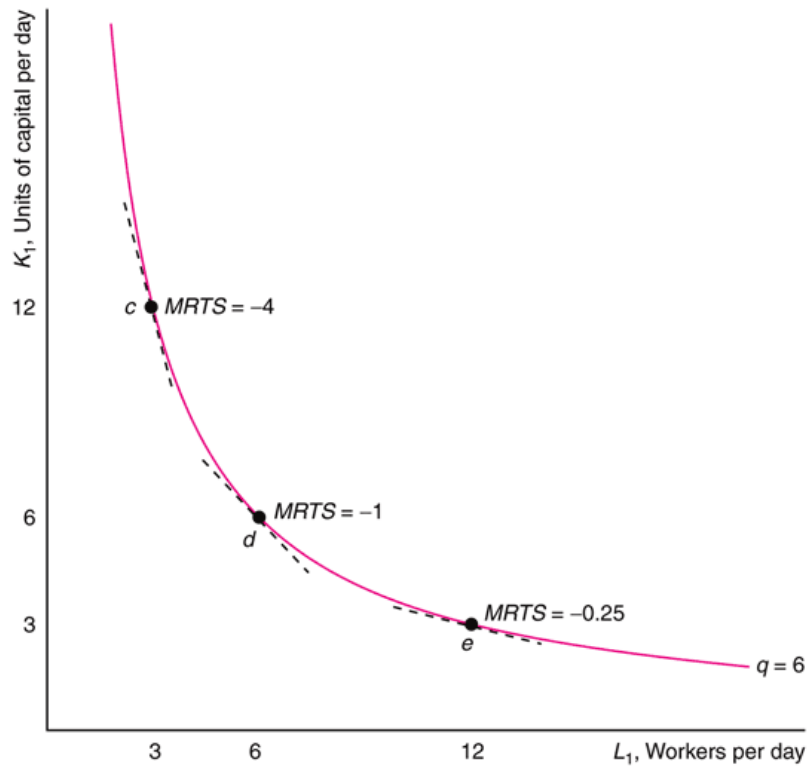
Isoquants



The slope of an
isoquant is

Properties of Isoquants

Isoquants generally are convex,



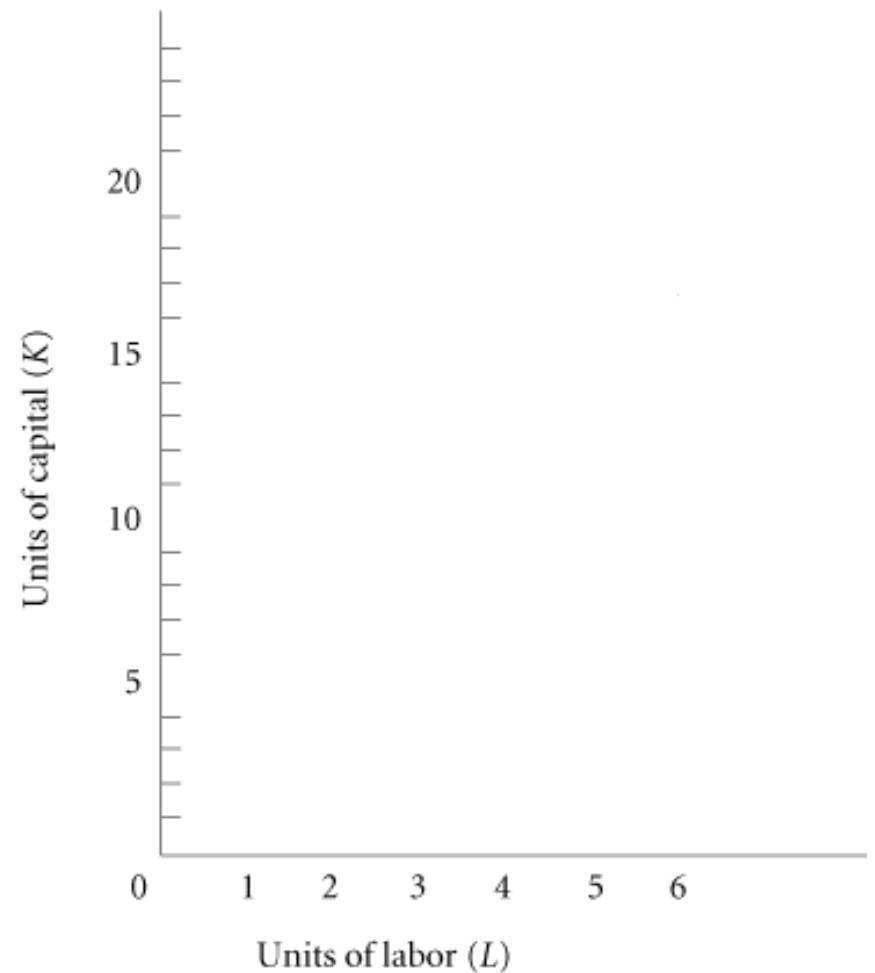
The cost minimization problem

Cost minimization problem-

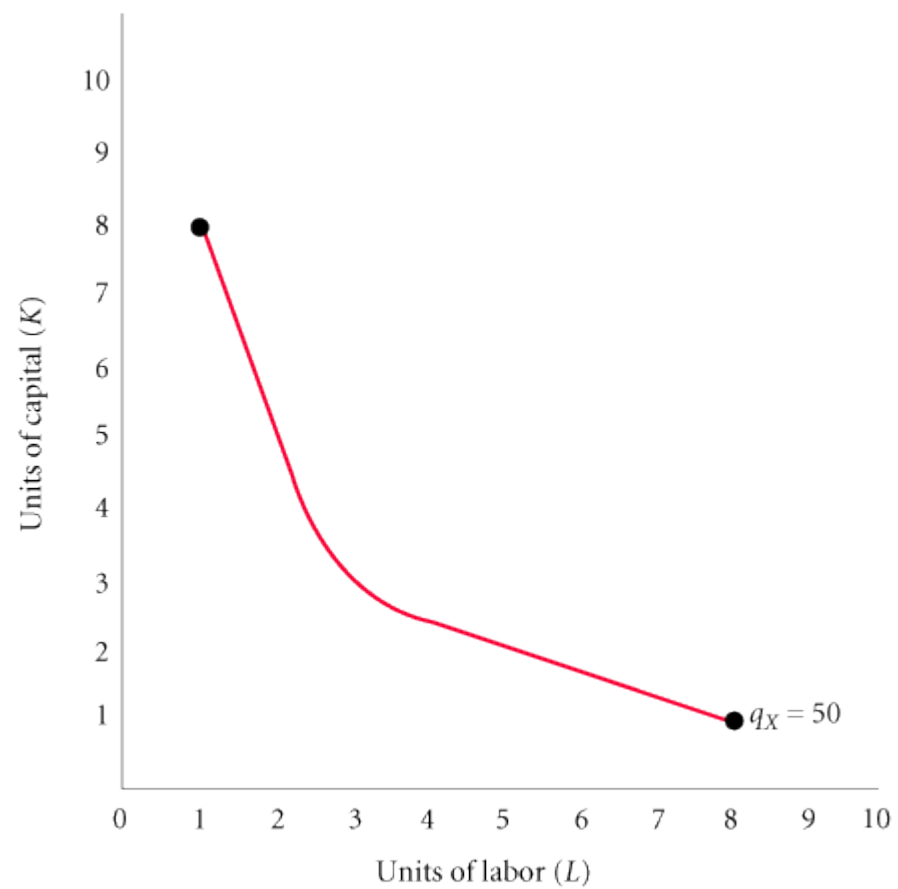
Isocost line-

Isocost lines

Assume that the price of labor is \$5, the price of capital is \$1, and the firm has \$25 to spend.



Cost minimization



Cost minimization

Suppose the firm's production function is given by:

So the marginal products are given by:

The price of labor is \$5 per unit and the price of capital is \$20/unit. What is the cost minimizing input combination if the firm wants to produce 1,000 units per year?

